

Part 1★ Purchasing Power Parity :-

- Prevention of commodity arbitrage.
- Relationship b/w exchange rate & inflation (i).
- Based on law of one price.

$$\frac{E(S_1)}{S_0} = \left[\frac{1+i_A}{1+i_B} \right]^n$$

Q.72	pg
aw. 29	

$$\frac{E(S_1)}{S_0} = \frac{1+0.08}{1+0.04} \Rightarrow E(S_1) = 46 \times \frac{1.08}{1.04} = ₹47.77/\$$$

$$\frac{E(S_4)}{S_0} = \left[\frac{1+0.08}{1+0.04} \right]^4 \Rightarrow E(S_4) = 46 \times \left[\frac{1.08}{1.04} \right]^4 = ₹53.50/\$$$

Eg: $S_0 = ₹81.6450/\$$

Inflation forecast :-	Year 1	Year 2	Year 3
India	6%	7%	8%
U.S.	2%	3%	5%

calculate expected spot rate at the end of year 1, 2, 3
as per PPP.

Soln: $E(S_1) = 81.6450 \times \frac{1.06}{1.02} = ₹84.8468/\$$

$$E(S_2) = 84.8468 \times \frac{1.07}{1.03} = ₹88.1418/\$$$

$$E(S_3) = 84.1418 \times \frac{1.08}{1.05} = ₹90.6601/\$$$

::: Concept :-

① If nominal interest rate = 9% & Inflation = 5%.
What is the real interest rate?

$$\text{Real Interest rate} \approx 9 - 5 \approx 4\% \text{ (approx)}$$

$$= \frac{1.09}{1.05} - 1 = 3.81\% \text{ (exact)}$$

Note: Inflation ka effect hatane se real rate h....

② S_0 (1 year ago) = ₹ 81.6250 / \$ (S_{t-1})

Inflation : ₹ = 8%

\$ = 3%

What should have been \$1 today ?

Should be $S_1 = 81.6250 \times \frac{1.08}{1.03} = ₹ 85.5874 / \$$

Actual $S_1 = ₹ 87.2520 / \$$

→ Real Appreciation / Depreciation of a currency :-

Given: Spot rate 1 year ago = S_{t-1} or $S_0 = ₹ 96.20 / £$

Spot rate today = $S_t = ₹ 98.10 / £$

Inflation : India = 8%

US = 3%

Q.1) Calculate the Real Effective Exchange Rate (REER) today

Exchange rate today is $S_t = 98.10$

However this includes effect of inflation. To get REER, we have to reverse the effect of inflation.

$$S_t^* = S_t \times \left[\frac{1+i_{\$}}{1+i_{₹}} \right] = 98.10 \times \frac{1.03}{1.08} = 93.5583$$

Q.2) Has £ appreciated against ₹ ?

Apparently we find $S_t > S_0$

So £ seems to have appreciated. However, once we remove the effect of inflation from S_t & look at S_t^* we find that £ has depreciated in real terms.

Q.3) Calculate nominal as well as real appreciation / depreciation of £.

Nominal Appreciation of £ = $\frac{S_t - S_0}{S_0} \times 100 = \frac{98.10 - 96.20}{96.20} \times 100$

= 1.975%

Real depreciation of £ = $\frac{S_t^* - S_0}{S_0} \times 100 = \frac{93.5583 - 96.20}{96.20} \times 100$

= -2.746%

Q.4] Calculate nominal as well as real appreciation/depreciation of ₹.

$$\text{Nominal depreciation of ₹} = \frac{S_0 - S_t}{S_t} \times 100 = \frac{96.20 - 98.10}{98.10} \times 100 = -1.937\%$$

$$\text{Real appreciation of ₹} = \frac{S_0 - S_t^*}{S_t^*} \times 100 = \frac{96.20 - 93.5583}{93.5583} \times 100 = 2.824\%$$

ICAI ne cw. Q. E. solⁿ. book pg. 73 →
me base me S_t^* nhi liya S_0 liya
galat h... exam me 2 solⁿ krna...

Extra Q.	P9
CW sol ⁿ .	73

① Nominal rate of return for US Investor:-

Step 1: sold \$ 2000000 1 yr ago @ ₹42.50/\$

getting $2000000 \times 42.50 = ₹85000000$

Step 2: No. of sensex units purchased = $\frac{85000000}{3256}$

= 26105 units

Step 3: sold sensex units today = 26105×3765

= ₹98287776

Step 4: Purchase \$ today @ ₹43.90/\$ getting

$\frac{98287776}{43.90} = \2239130

$$\text{Nominal Return} = \frac{2239130 - 2000000}{2000000} \times 100 = 11.95\%$$

Self Note: Nominal Return for Indian Investor

$$= \frac{3765 - 3256}{3256} \times 100 = 15.63\%$$

Real Return for Indian Investor

$$= \left[\frac{1.1563}{1.09} - 1 \right] \times 100 = 6.08\%$$

② Real apprⁿ/deprⁿ of ₹ :-

$$(a) REER_{bid} = S_t^*_{bid}$$

$$= S_{bid} \times \frac{1 + i_{\$}}{1 + i_{\text{₹}}} = 42.2408 \text{ ₹/\$}$$

∴ Real appreciation of ₹ based on bid rate

$$= \frac{S_0 - S_1^*}{S_0} \times 100 = \frac{42.50 - 42.2408}{42.50} \times 100 = 0.6099\%$$

42.50 ← wrong → ica

Self Note: correct = $\frac{S_0 - S_1^*}{S_1^*} \times 100$

$$(b) REER_{ask} = S_{ask}^* = S_{ask} \times \frac{1 + i_{\$}}{1 + i_{\text{₹}}} = ₹/\$ 42.2890$$

$$\therefore \text{Real appreciation of ₹} = \frac{42.60 - 42.2890}{42.60} \times 100 = 0.73\%$$

42.60 ← wrong → ica

③ Exchange Rate if PPP holds good :-

$$S_{bid} \text{ as per PPP} = 42.50 \times \frac{1.09}{1.05} = ₹44.12/\$$$

$$S_{ask} \text{ as per PPP} = 42.60 \times \frac{1.09}{1.05} = ₹44.22/\$$$

④ Real Return to an Indian Investor :-

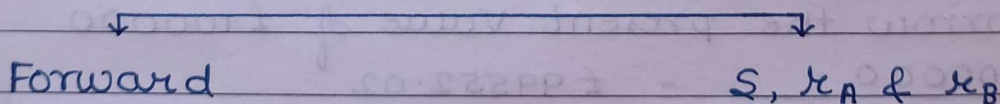
$$= 6.08\%$$

Part-2

∴ Forward Cover vs. Money Market Cover :-



Hedging



FC payable	FC receivable
Code: IBB	BSI

① FC payable :- Invest, Buy, Borrow

Step 1: To pay krna h \$100000 6 m baad uska present value aaj invest krenge say \$98000

Step 2: Buy \$98000 spot using HC (£)

Step 3: Borrow HC (£)

② FC receivable :- Borrow, sell, Invest

Step 1: To aanewala h \$100000 3 m baad uska present value aaj hi borrow krenge say \$98000

Step 2: Sell \$98000 spot getting HC (£)

Step 3: Invest HC (£)

Q.63	P9	Refer pdf/printout for exact Q. & solution where 3 month has expected receipts.
CW.25		

~~For practice purpose we have modified the Q & assumed 3 month expected payment of £300000.~~

never think of Googly if word 'per' is given in exchange rate. £/€ = 1.7
googly @; £ per € = 1.7 googly @

① 1 month exposure :-

Alt 1: A net amount of £100000 is receivable

Alt 1: Forward cover

Sell £100000 one month forward @ £1.7832/€

so inflow after 1 m = $\frac{100000}{1.7832} = £56078.96$

(Self Note: £ receivable → £ sell i.e. € buy ∴ £/€ ask rate)

Alt 2: Money Market Cover Borrow - Sell - Invest (BSI)

Step 1: Borrow the present value of £100000

$$\frac{100000}{(1 + 0.054 \times 1/12)} = £99552.02$$

Step 2: Sell spot @ £1.7822/€ getting

$$\frac{£99552.02}{£1.7822/€} = £55859.06$$

Step 3: Invest € @ 4.6% p.a. for 1 month.

$$\text{Inflow after 1 month} = 55859.06 \times (1 + 0.046 \times 1/12) = £56073.19$$

∴ Advice - Forward cover is marginally better than MM cover. Hence, 1m exposure should be hedged via Forward cover.

② 3 months exposure :- £300000 receivable

Alt 1: Forward cover

Sell £300000 3m forward @ £1.785/€

So Inflow after 3m = $\frac{300000}{1.785} = €168067.22$

Alt 2: Money Market Cover

Step 1 - Borrow present value of £300000

$$\frac{300000}{(1 + 0.054 \times 3/12)} = £296004.24$$

Step 2 - Sell £ spot @ £1.7822/€ getting

$$\frac{296004.24}{1.7822} = €166089.24$$

Step 3 - Invest € @ 4.6% p.a. for 3 months.

$$€ \text{ Inflow after 3m} = 166089.24 (1 + 0.054 \times 3/12) = €167999.26$$

∴ Advice - Forward cover is marginally better than MM cover. Hence, 3m exposure should be hedged via Forward cover.

Part-3

Q.60	Pg
W. 24	

Refer Solⁿ in (W. solⁿ. pg. 37
discussed verbally